On Dupin hypersurfaces with constant Laguerre curvature

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Proper Dupin hypersurfaces M^n in R^{n+1}, $n \geq 3$, parametrized by lines of curvature, and n distinct principal curvatures, will be considered. Known results on submanifolds M^n, with constant Moebius curvature, will be reviewed. Assuming that M^n that the principal curvatures do not vanish, all such Dupin hypersurfaces with constant Laguerre curvatures will be given explicitly. In particular, it will be shown that they are determined by n real constants, namely, $(n-2)$ Laguerre curvatures and two other constants, one of them being nonzero.