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P R O B L È M E S

P 280, Ř 1. The answer is negative (1).

VII. 1, p. 69

(1) See B. Choczewski and M. Kuczma, *On a problem of Lipiński concerning an integral equation*, this fascicle, p. 113-115.

P 469, R 2. The answer is positive (2).

XII. 2, p. 226

(2) See Togo Nishiura, *Inductive invariants of closed extensions of mappings*, this fascicle, p. 73-78.

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P 780 et **P 781.** Formulés dans la communication *On highly non-associative groupoids.*

Ce fascicule, p. 10.

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Ce fascicule, p. 52.

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M. BOŻEJKO AND T. PYTLIK (WROCŁAW)

P 793 et **P 794.** Formulés dans la communication *Some types of lacunary Fourier series.*

Ce fascicule, p. 121 et 122.

ERNEST PŁONKA (WROCŁAW)

P 795. Let L be the class of all groups G such that, for every group H, if the power domains[3] $D(G)$ and $D(H)$ are isomorphic, then the groups G and H are isomorphic. One can check that all cyclic groups and all groups of order pq (p, q—prime) are in L and that the Abelian group $Z_2 \times Z_8$ is not.

Characterize the class L.

[3] K. Borsuk, *Power domains*, this fascicle, p. 53-62.